

MOA-2010-BLG- 328: A SATURN, A NEPTUNE, OR A SUPER-EARTH?

Aikaterini (Katie) Vandorou

Collaborators: David Bennett, J.-P. Beaulieu, Sean Terry, Aparna
Bhattacharya, Clément Ranc, Joshua Blackman, Andrew Cole, Natalia
Reksini + MOA collaboration



HOW CAN WE USE LENS FLUX MEASUREMENTS TO BREAK DEGENERACIES OF MICROLENSING EVENTS THAT HAVE COMPLEX HIGHER ORDER EFFECTS LIKE PARALLAX, LENS ORBITAL MOTION, XALLARAP AND MAGNIFICATION OF A SECOND SOURCE.



Goddard
Space Flight Center



Many events we work on are part of statistical studies like Suzuki+16 (e.g. MOA-2010-BLG-328) – which have used mass-ratios

It's a good technique for mass measurements that will stick around. So we need to get to know it.

Direct lens flux detections help with the modeling

MOA-2010-BLG-328

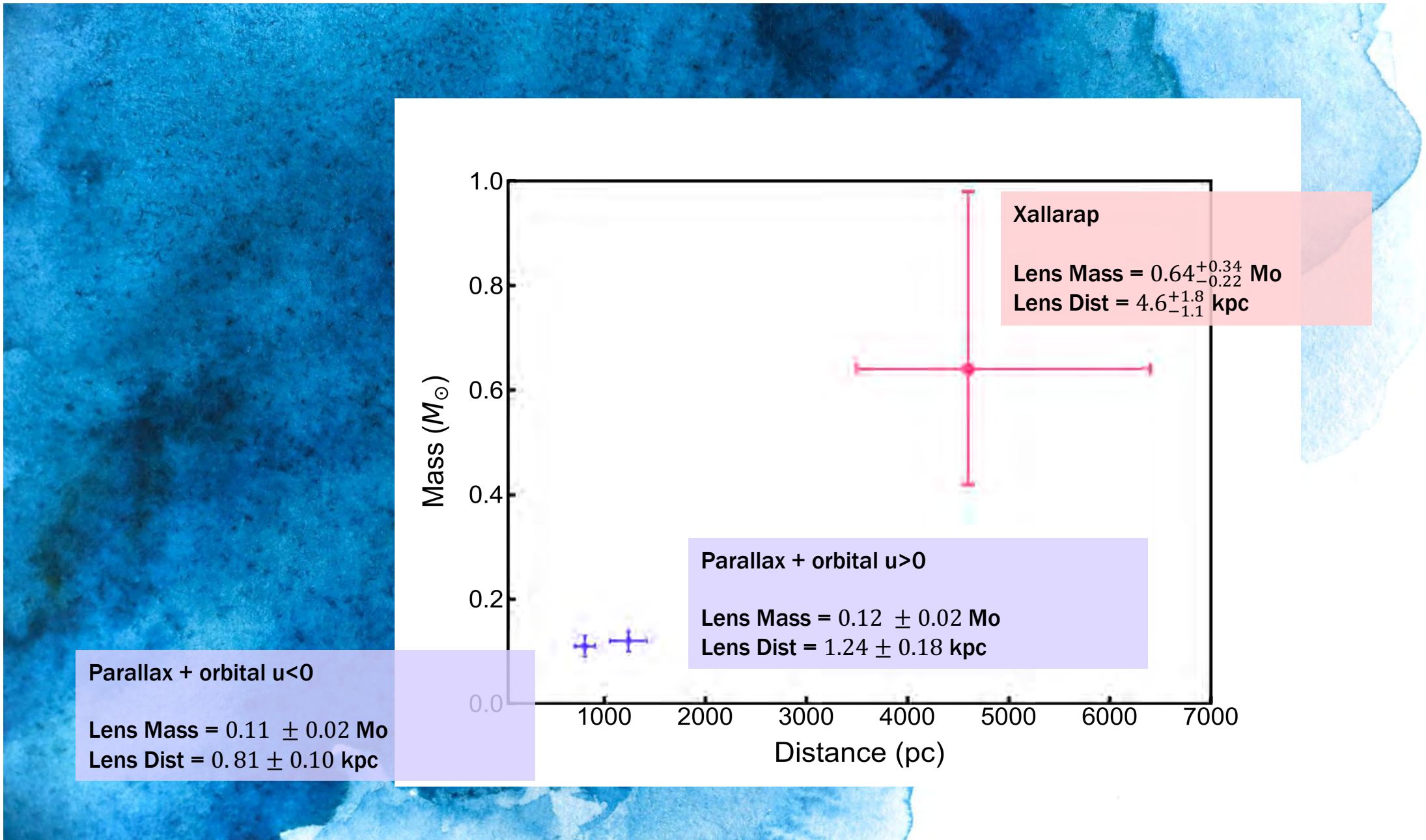
Furusawa et al. 2013

Best fit solutions:

- Constrained Xallarap

- Parallax + orbital motion ($u < 0$ and $u > 0$)

Parameters	Standard	Parallax	Unconstrained xallarap	Constrained xallarap	Orbital	Parallax + Orbital ($u_0 < 0$)	Parallax + Orbital ($u_0 > 0$)
t_0 (HJD')	5378.641 0.015	5378.717 0.017	5378.723 0.015	5378.706 0.013	5378.776 0.036	5378.683 0.014	5378.694 0.017
t_E (day)	57.2 0.3	70.3 0.7	62.9 0.3	61.8 0.3	75.1 0.9	62.6 0.6	64.2 0.6
u_0	0.0816 0.0005	0.0644 0.0007	-0.0722 0.0005	-0.0741 0.0004	0.0596 0.0007	-0.0721 0.0008	0.0716 0.0007
$q \times 10^4$	8.16 0.11	4.46 0.07	5.17 0.08	5.16 0.06	11.63 0.92	2.60 0.53	3.68 1.26
s	1.243 0.001	1.192 0.002	1.216 0.001	1.220 0.001	1.310 0.012	1.154 0.016	1.180 0.028
α (rad)	0.1694 0.0005	0.1976 0.0010	-0.1740 0.0005	-0.2024 0.0004	0.1385 0.0081	-0.2743 0.0087	0.1965 0.0151
$\rho \times 10^3$	1.91 0.02	1.09 0.02	1.31 0.02	1.35 0.01	1.66 0.06	0.93 0.10	1.09 0.17
$\pi_{E,N}$...	0.35 0.01	1.01 0.06	0.72 0.05
$\pi_{E,E}$...	-0.13 0.03	-0.51 0.04	-0.39 0.03
$\xi_{E,N}$	-2.58 ...	0.02
$\xi_{E,E}$	-1.86 ...	0.04
R.A. $_{\xi}$ (deg)	256.07 ...	255.77
Decl. $_{\xi}$ (deg)	-23.44 ...	-0.89
P_{ξ} (day)	475.53 ...	155.66
ϵ	0.17 ...	0.20
$\omega \times 10^3$ (rad day $^{-1}$)	-0.93 0.26	-7.39 0.39	-1.39 0.60
$ds/dt \times 10^3$ (day $^{-1}$)	-5.67 0.56	2.51 0.63	1.41 1.16
χ^2	6037.32	5684.47	5651.69	5652.59	5716.16	5657.75	5660.31
dof	5664	5662	5658	5658	5662	5660	5660



Parallax + orbital $u < 0$
Lens Mass = $0.11 \pm 0.02 M_{\odot}$
Lens Dist = 0.81 ± 0.10 kpc

Parallax + orbital $u > 0$
Lens Mass = $0.12 \pm 0.02 M_{\odot}$
Lens Dist = 1.24 ± 0.18 kpc

Xallarap
Lens Mass = $0.64^{+0.34}_{-0.22} M_{\odot}$
Lens Dist = $4.6^{+1.8}_{-1.1}$ kpc

Higher order effects are **often only** added if they are **required** to fit the data.

Even if there is no significant signal on the light curve though, parallax **should not be ignored**.

Setting parallax to 0 could lead to **wrong error bars** on t_E and source brightness.

BUT you would also want a prior to **exclude highly unlikely** parallax values as these are sensitive to **systematic errors**.

WHEN a **significant parallax** signal is detected, then **orbital motion** can interfere with parallax.

So, orbital motion should be **included** to get **accurate parallax** values and errors.

Lastly...

Binary source stars **are common**.

Their separation is often too large to affect the light curve, although they can still add brightness that is unresolved from the source.

Both **xallarap** and **magnification of the second** source are still relatively common.

Events with excess flux at the source **should be modeled** with these effects.

MOA-2010-BLG-328

They considered:

Just Parallax

Parallax & orbital motion

Just Xallarap

Just orbital motion

See poster by
Zhecheng Hu on
event OGLE-2015-
BLG-0845 for another
xallarap + parallax
event

Parameters	Standard	Parallax	Unconstrained xallarap	Constrained xallarap	Orbital	Parallax + Orbital ($u_0 < 0$)	Parallax + Orbital ($u_0 > 0$)
t_0 (HJD')	5378.641 0.015	5378.717 0.017	5378.723 0.015	5378.706 0.013	5378.776 0.036	5378.683 0.014	5378.694 0.017
t_E (day)	57.2 0.3	70.3 0.7	62.9 0.3	61.8 0.3	75.1 0.9	62.6 0.6	64.2 0.6
u_0	0.0816 0.0005	0.0644 0.0007	-0.0722 0.0005	-0.0741 0.0004	0.0596 0.0007	-0.0721 0.0008	0.0716 0.0007
$q \times 10^4$	8.16 0.11	4.46 0.07	5.17 0.08	5.16 0.06	11.63 0.92	2.60 0.53	3.68 1.26
s	1.243 0.001	1.192 0.002	1.216 0.001	1.220 0.001	1.310 0.012	1.154 0.016	1.180 0.028
α (rad)	0.1694 0.0005	0.1976 0.0010	-0.1740 0.0005	-0.2024 0.0004	0.1385 0.0081	-0.2743 0.0087	0.1965 0.0151
$\rho \times 10^3$	1.91 0.02	1.09 0.02	1.31 0.02	1.35 0.01	1.66 0.06	0.93 0.10	1.09 0.17
$\pi_{E,N}$...	0.35 0.01	1.01 0.06	0.72 0.05
$\pi_{E,E}$...	-0.13 0.03	-0.51 0.04	-0.39 0.03
$\xi_{E,N}$	-2.58 ...	0.02
$\xi_{E,E}$	-1.86 ...	0.04
R.A. $_{\xi}$ (deg)	256.07 ...	255.77
Decl. $_{\xi}$ (deg)	-23.44 ...	-0.89
P_{ξ} (day)	475.53 ...	155.66
ϵ	0.17 ...	0.20
$\omega \times 10^3$ (rad day $^{-1}$)	-0.93 0.26	-7.39 0.39	-1.39 0.60
$ds/dt \times 10^3$ (day $^{-1}$)	-5.67 0.56	2.51 0.63	1.41 1.16
χ^2	6037.32	5684.47	5651.69	5652.59	5716.16	5657.75	5660.31
dof	5664	5662	5658	5658	5662	5660	5660

~ 3 - 10+ years after peak of event

High angular resolution follow-up observations



Lens flux measurement



Lens - source relative proper motion constraint



Remodel with follow-up constraints



Get accurate mass and distance measurements

Measured from light curve model

Needed for mass measurement

$$\theta_E = t_E \mu$$

Measured from Keck

Improve the best fit model

Better t_E, theta_E

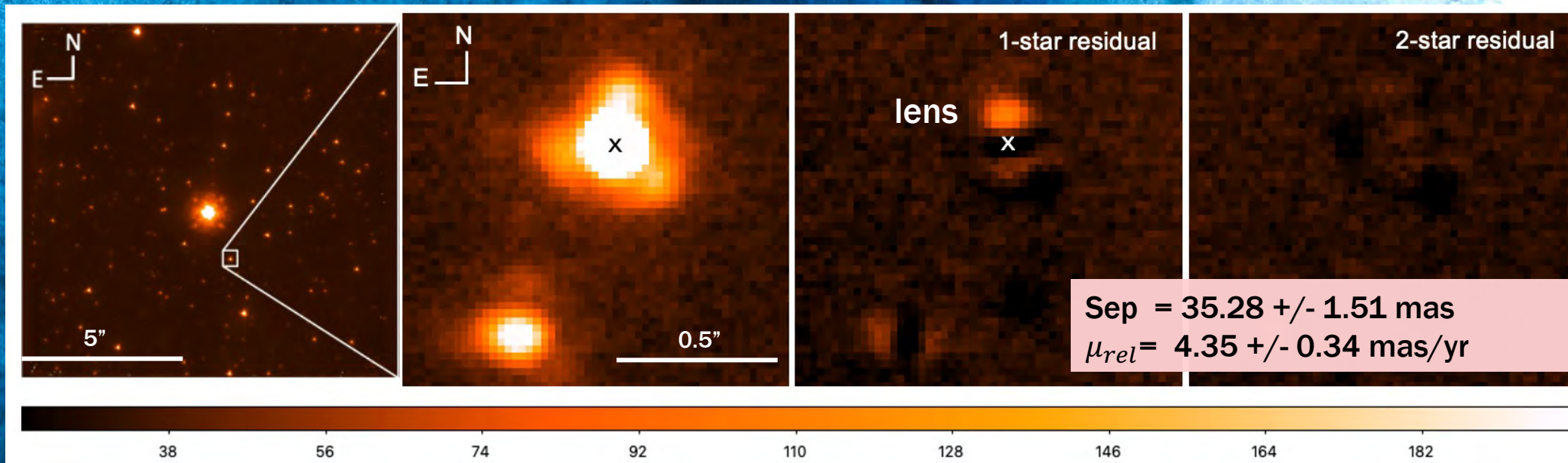
Better mass ratio, q

etc.

MOA-2010-
BLG-328

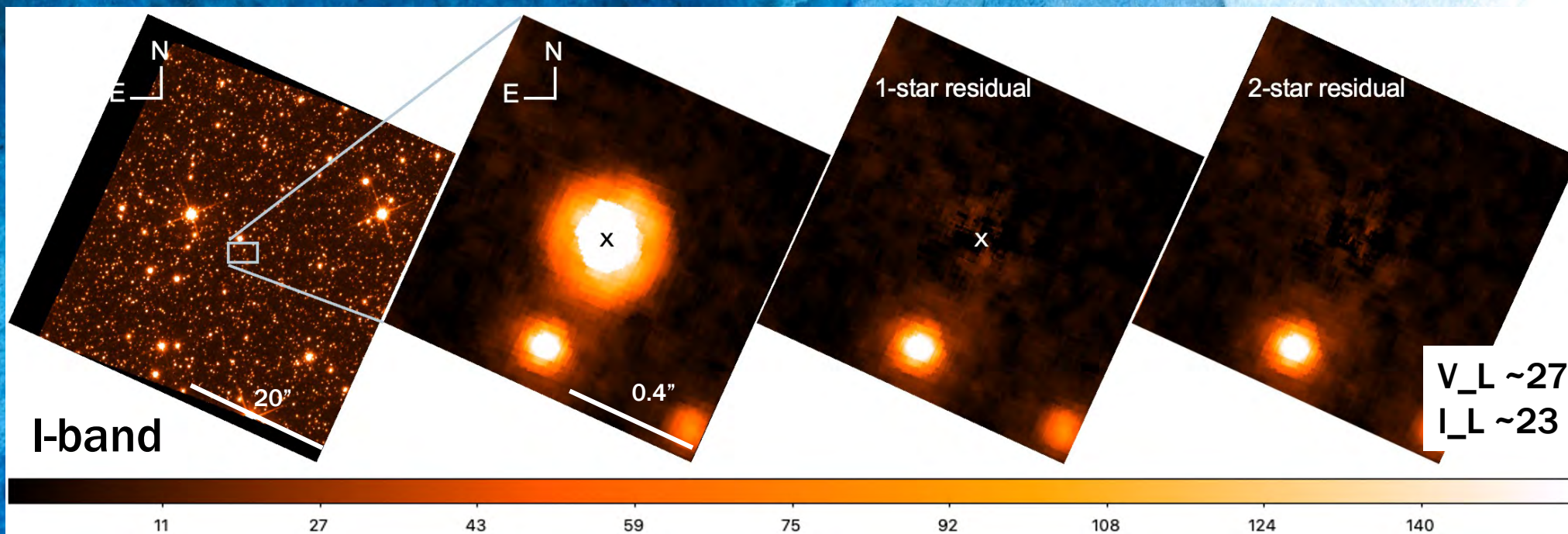
Keck

2018
K-band



HST

2018
I-band
V-band

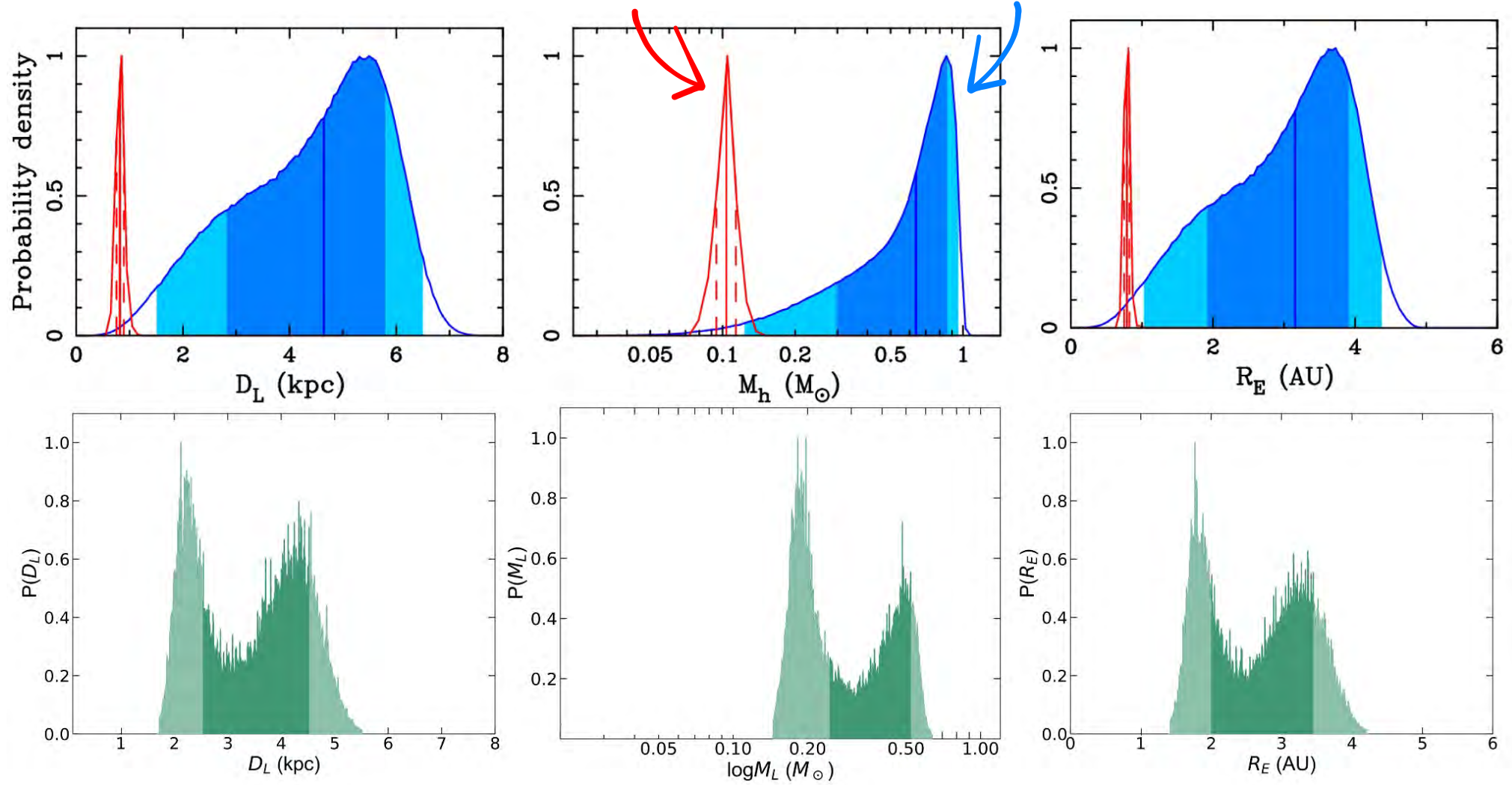


	Parallax + o.m. u<0	Parallax + o.m. u>0	Xallarap	Keck
Source K (mag)	17.14 +/- 0.25	17.14 +/- 0.26	17.13 +/- 0.26	16.12 +/- 0.16
Lens K (mag)	18.76 +/- 0.36	19.42 +/- 0.47	18.50 ^{+1.25} _{-0.81}	18.56 +/- 0.13
Mu_rel (mas/yr)	5.71 +/- 0.70	4.72 +/- 0.79	4.03 +/- 0.26	4.35 +/- 0.34

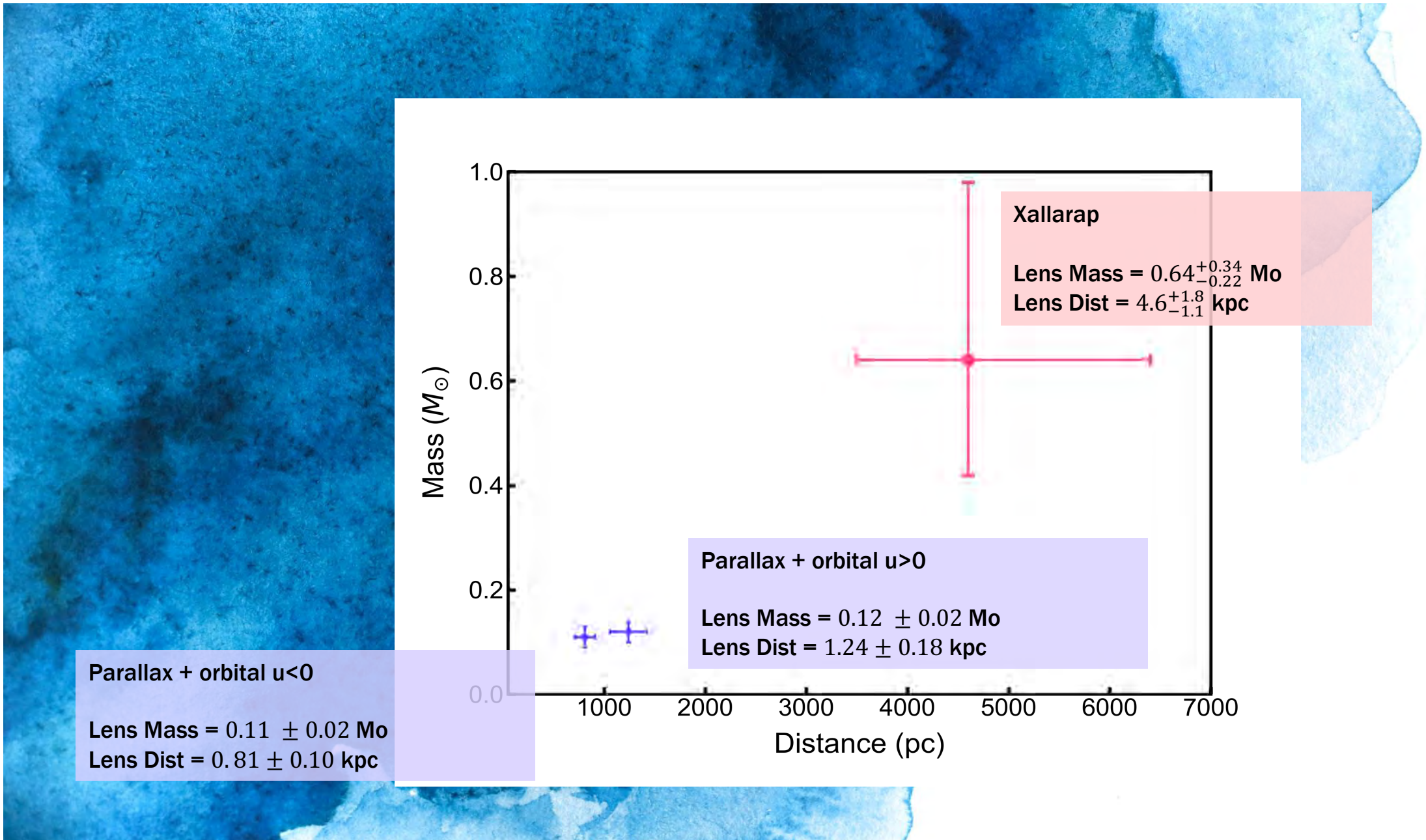
There is excess flux, likely due to a second source

Furusawa et al. Parallax + o.m.

Furusawa et al. Xallarap



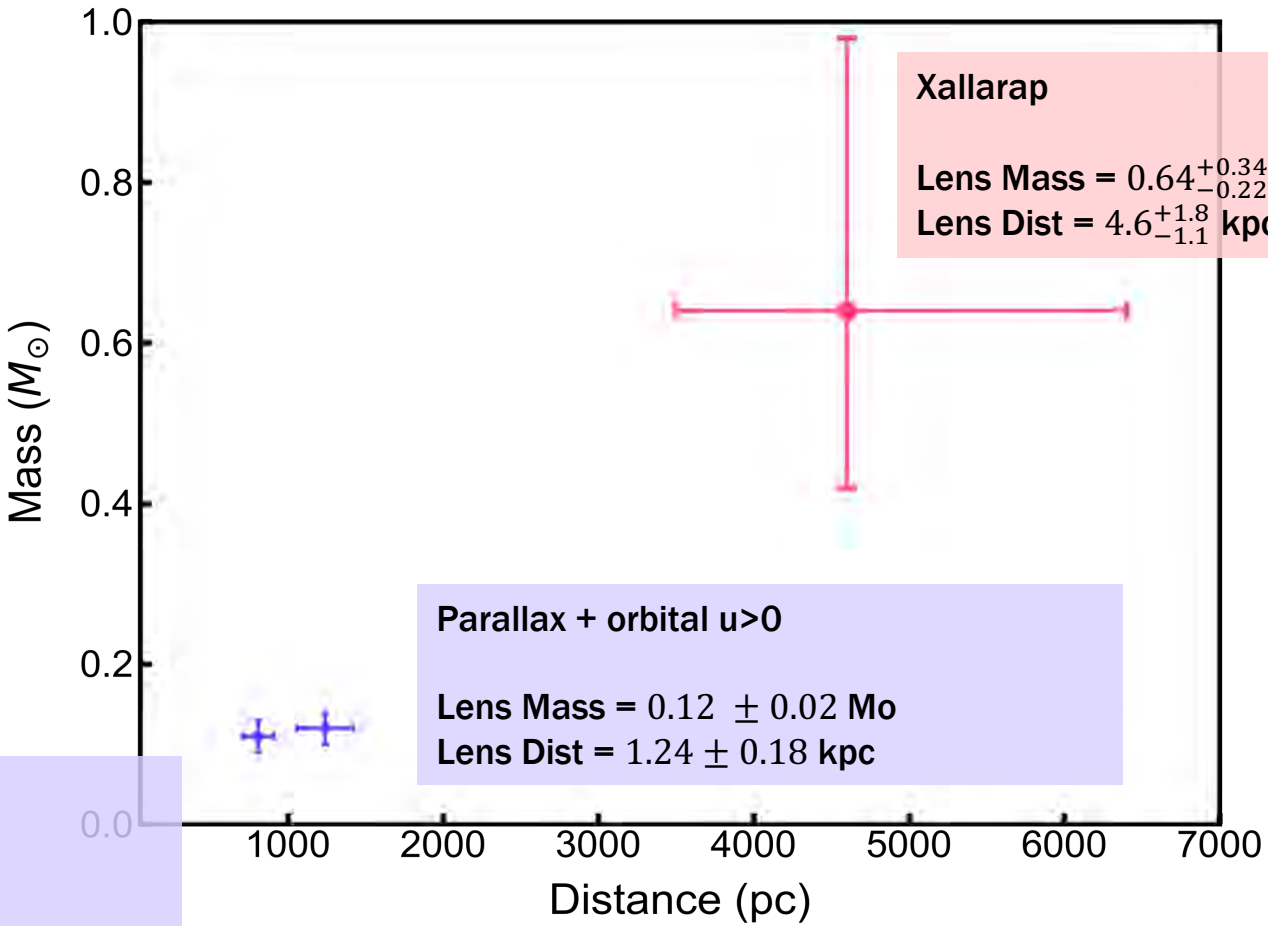
New model – including parallax, orbital motion, xallarap, high-res constraints

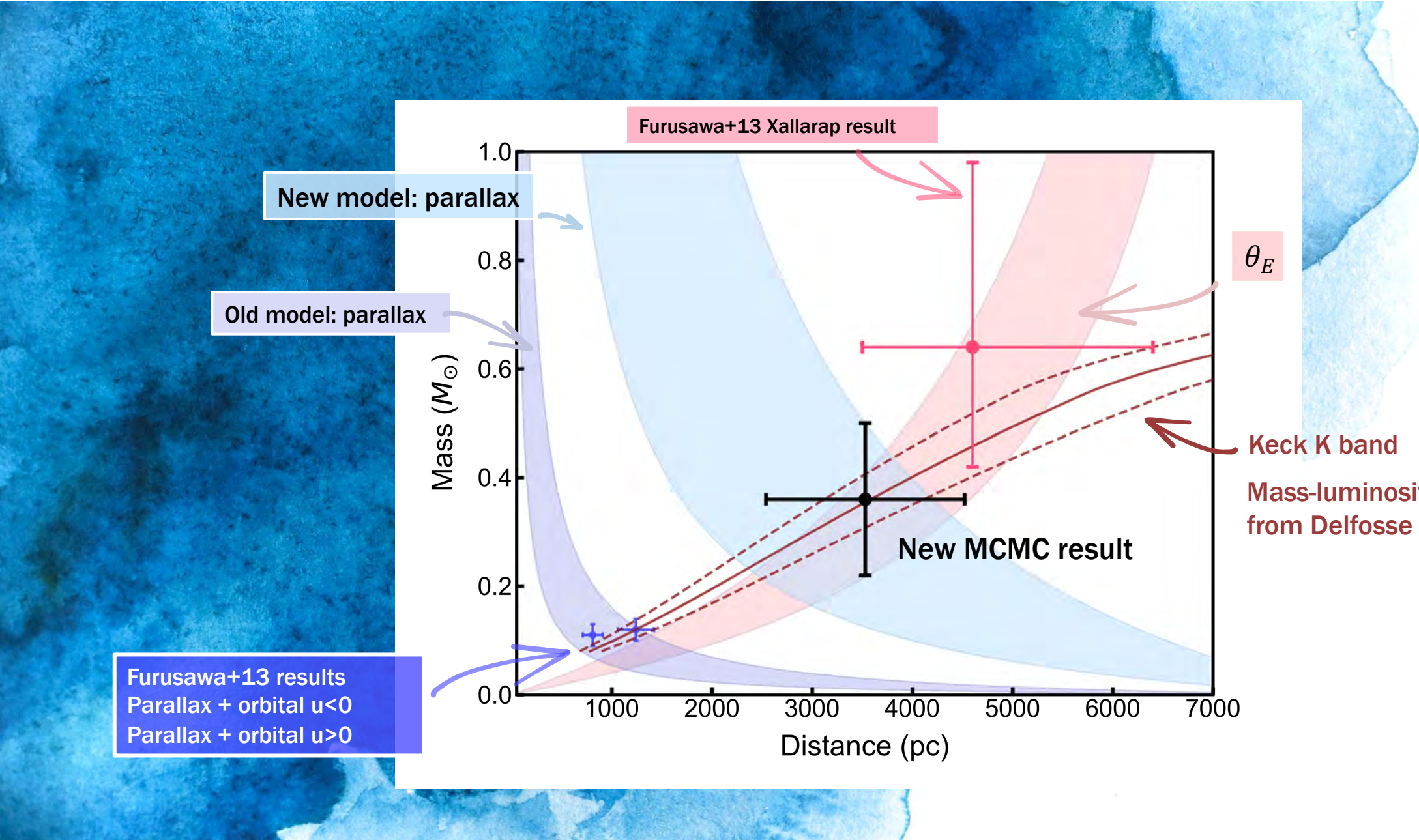


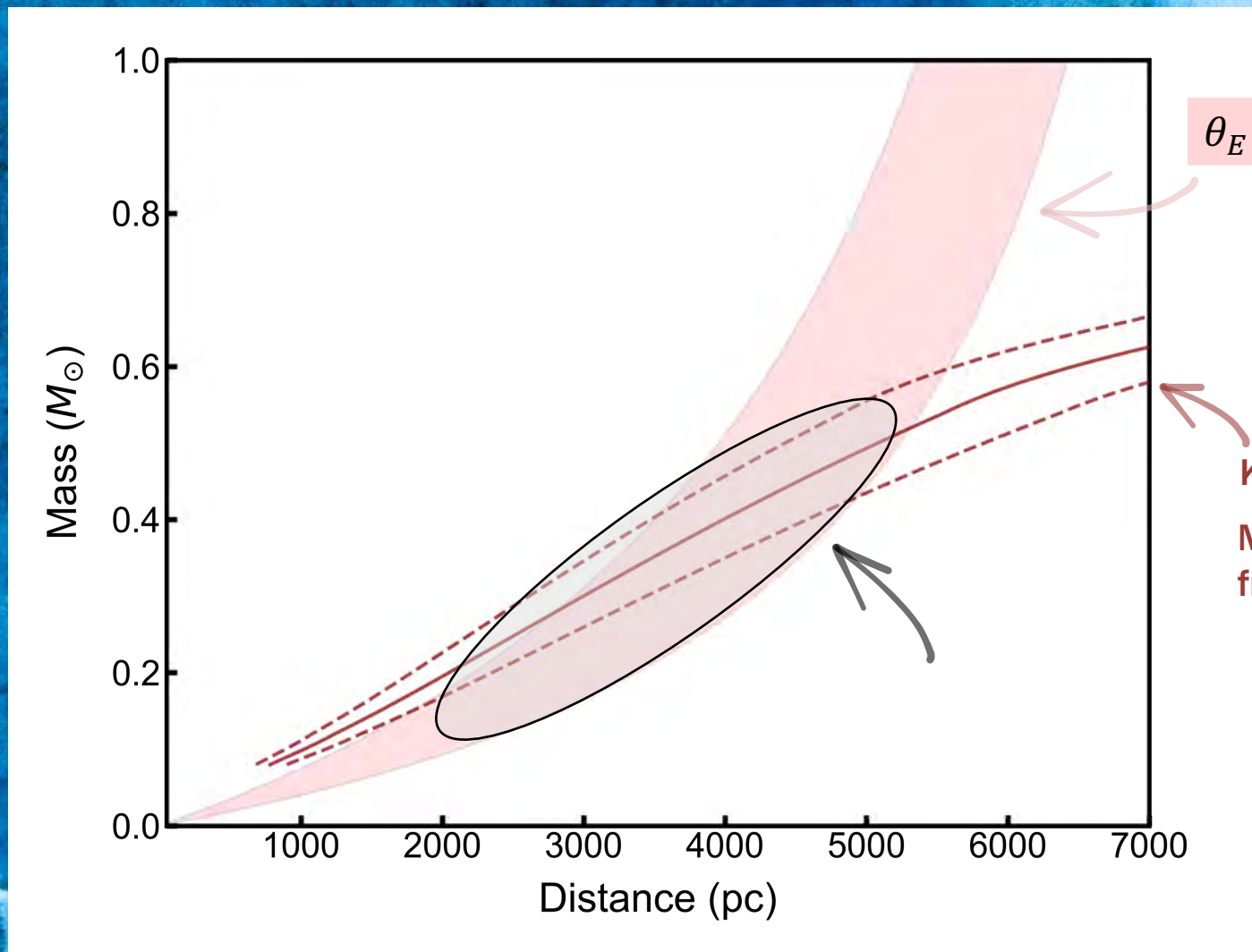
Xallarap
Lens Mass = $0.64^{+0.34}_{-0.22} M_{\odot}$
Lens Dist = $4.6^{+1.8}_{-1.1}$ kpc

Parallax + orbital $u > 0$
Lens Mass = $0.12 \pm 0.02 M_{\odot}$
Lens Dist = 1.24 ± 0.18 kpc

Parallax + orbital $u < 0$
Lens Mass = $0.11 \pm 0.02 M_{\odot}$
Lens Dist = 0.81 ± 0.10 kpc

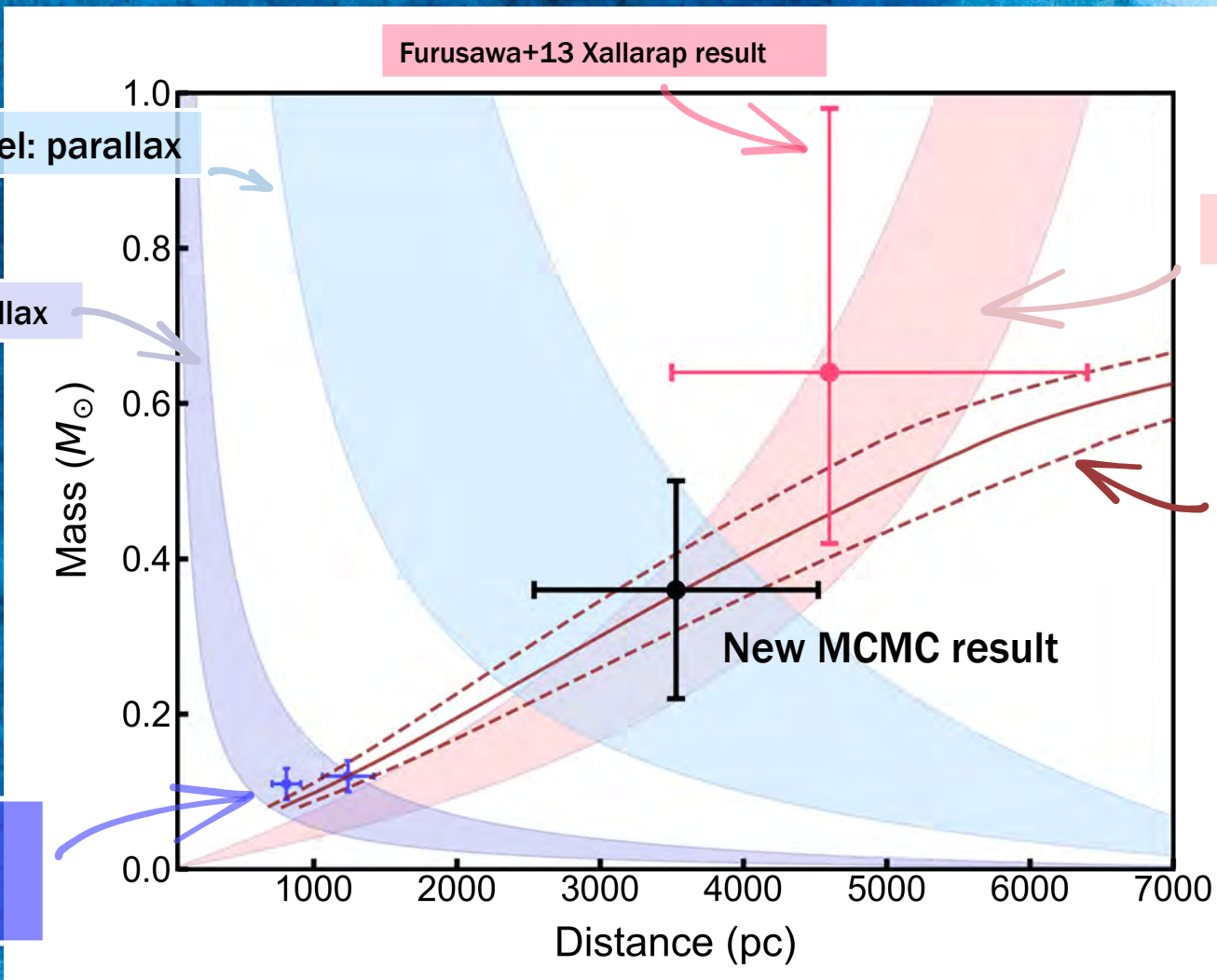






θ_E

Keck K band
Mass-luminosity relation
from Delfosse et al 2000



Furusawa+13 Xallarap result

New model: parallax

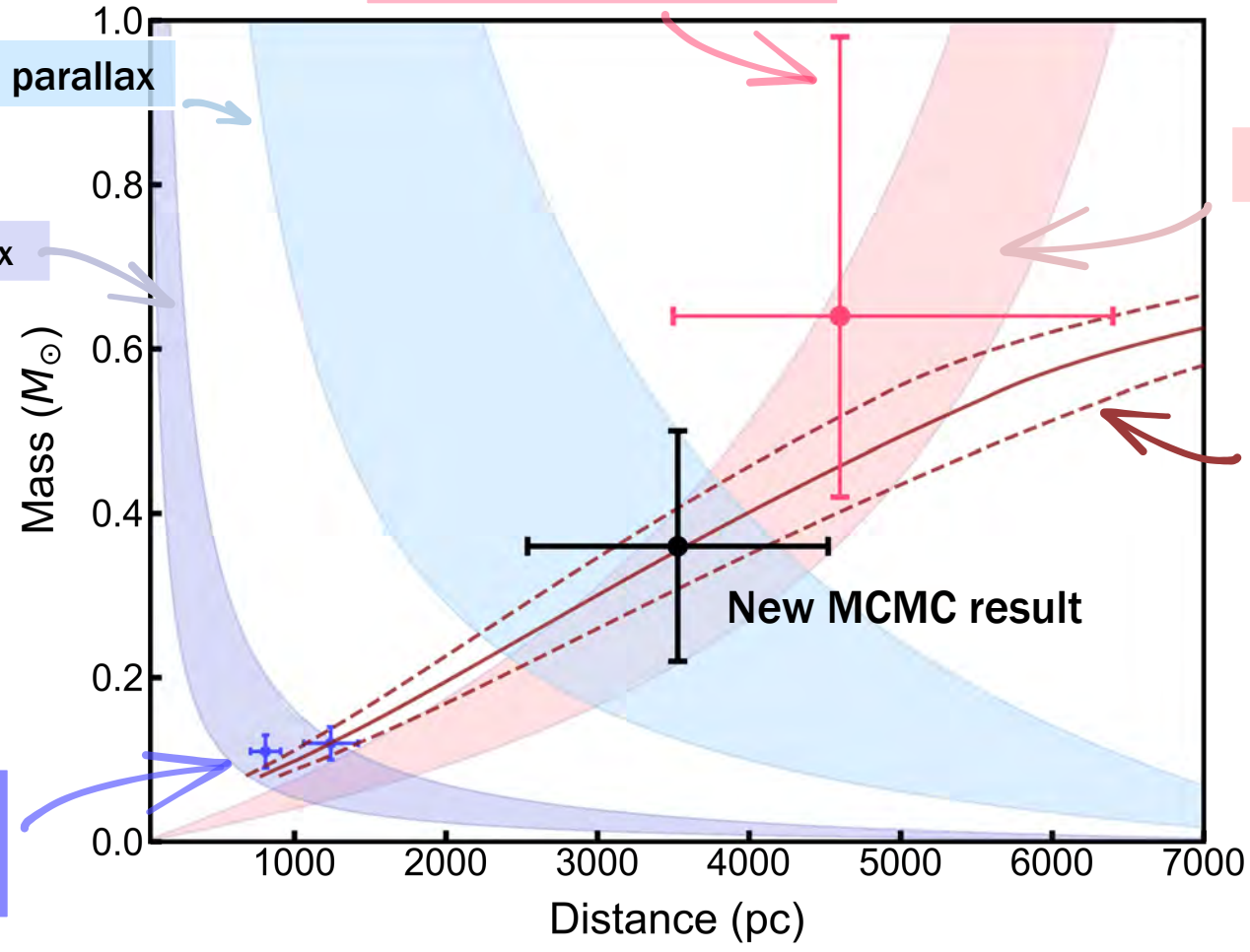
Old model: parallax

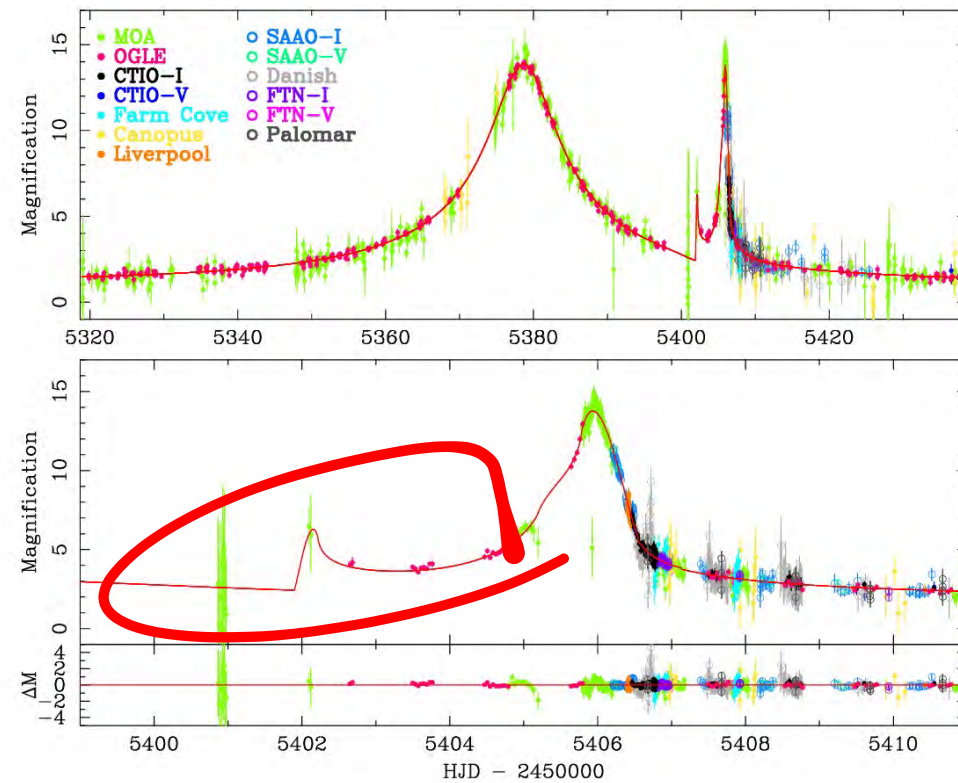
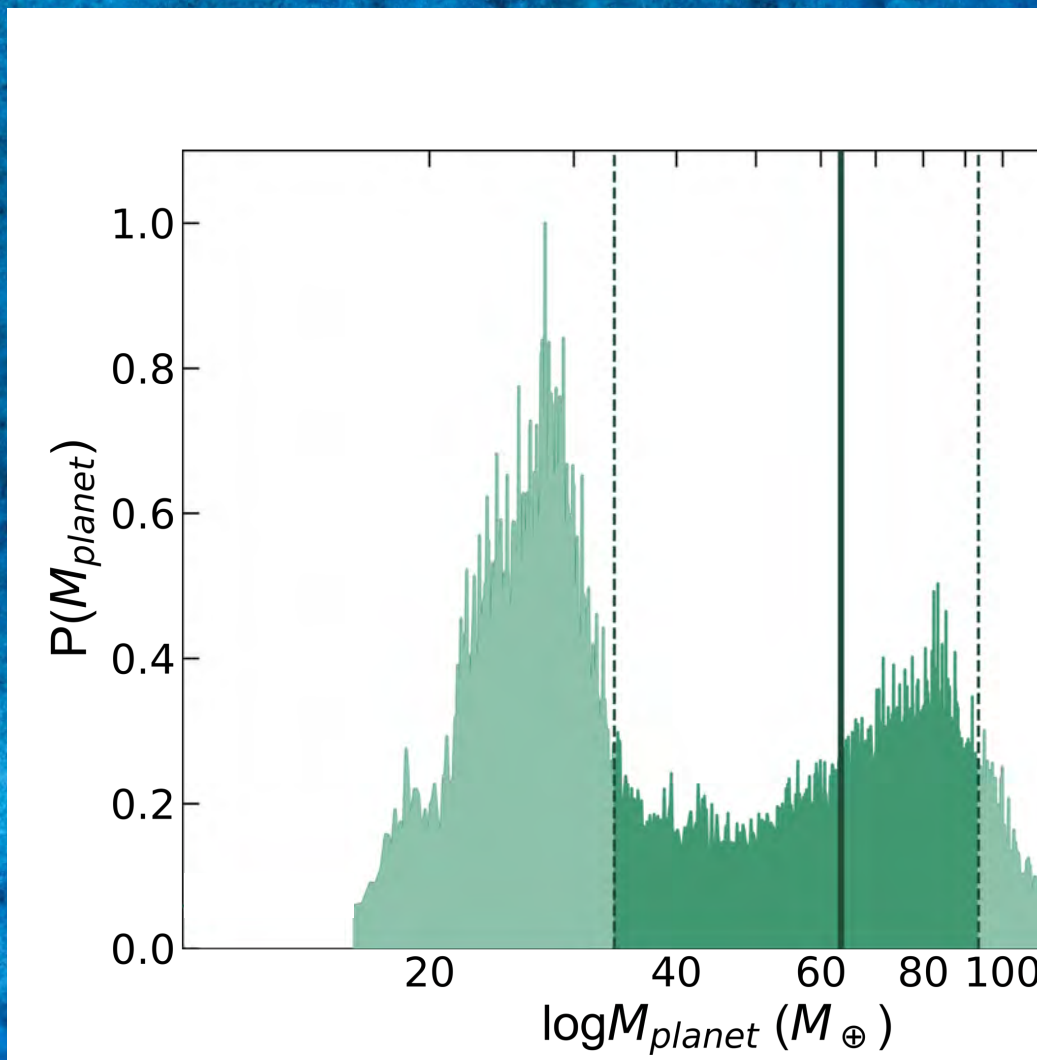
θ_E

Keck K band
Mass-luminosity relation
from Delfosse et al 2000

New MCMC result

Furusawa+13 results
Parallax + orbital $u < 0$
Parallax + orbital $u > 0$





SUMMARY

- ✓ Modeling is important (but you already knew that)
- ✓ Higher order effects are important.
- ✓ Follow-ups and modeling together can give accurate mass/distance measurements.

katievan@umd.edu

